

DECISION MAKING METHODS AND CLASSIFYING SCHOOLS BY USING TOPSIS

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Abstract:

In this paper, statistical methods and statistical programs were used in arranging and analyzing raw data to obtain criteria and weights that are used with geographic information systems (GIS) and spatial analysis programs in determining the proposed school sites in the holy Karbala governorate, depending on several criteria, including (population, number of students, the number of classes, the distance of school from the street, the number of teachers). TOPSIS Method was used using Matlab and Geographic Information Systems (GIS) for the purpose of analyzing factors and restricting them to the main factors and knowing which factor is the most influential.

It was concluded that the geographic information systems (GIS) program has a great potential in the field of locating crowded schools through students and population preparation in order to determine the need to de-inflation in them as well as to prepare a strong geographical database, containing natural and human variables affecting the educational reality as well as the ability diagnosis of defects according to statistical methods such as the near neighbor and standard distance, and building educational databases aimed at ease of exchange and analysis of information. Schools were classified according to the school's degree (primary, intermediate, secondary and High secondary) according to the importance of the TOPSIS method (of the utmost importance, the most important, the important and the least important) The percentages of schools with overcrowded were respectively obtained as follows (42, 11, 3, 7) from the total number of schools in the Karbala Governorate center.

Keywords: categorical data; make decision; Geographic Information Systems (GIS); Classification of schools; TOPSIS

1- Introduction

This study relied on categorical data approaches and based decision-making method (MCDM), which is an appropriate way to solve problems when decision makers find it difficult to determine the best alternative based on many factors that must be taken into consideration. TOPSIS' method was used to select overcrowded schools. Geographical information systems (G.I.S) were used to determine places and coordinates for them and to draw geographical maps.

2-Research problem

The problem of the study and its justifications represented the existence of an urgent need to analyze educational services and the distribution of schools in the Holy Karbala Governorate. The problem of selecting sites and the comparison between them can be described as the problem of multi-criteria decision making (MCDM).

3- Research Objectives

The research aims to apply a scientific and practical methodology to find the best sites for temporary schools in the holy Karbala governorate, as well as to make compatibility tables for the data classified in terms of academic level (primary, intermediate, preparatory) and draw a roadmap to it using Geographical Information Systems (Gis) in order to reaching the best suitable distribution for educational schools, based on a methodology that integrates the GIS, disaggregated data, and the classic method (TOPSIS).

4- The Classical TOPSIS Method

In many multi-choice situations, people aspire to make a "calculated" decision from a scientific viewpoint, there are analytical and numerical methods that take into account multiple alternatives with multiple criteria. The TOPSIS method is a multiple choice preference technique by analogy with the ideal solution, and it is one of the numerical methods for making multiple criteria decisions, as complexity arises when there is more than one decision maker. One is because the preferred solution must be agreed upon by interest groups that usually have different goals. The classic TOPSIS method is explained to the single decision maker and group decision-making methodically, and there are cases based on the TOPSIS method, which are based on the following: (Penjani HN, 2018)

"The basic principle is that the chosen alternative should have the shortest distance from the positive ideal solution and the longest distance from the ideal negative solution."

We have m options (alternatives) A_i , each dependent on n parameters (criteria) X_j whose values are positive real numbers X_{ij}

$$i = 1, 2, \dots, m$$

$$j = 1, 2, \dots, n$$

And here we must choose the best alternative (option). (G. H. Tzeng, 2011)

5-Mathematical model of the method:

Start, the parameter values of X_{ij} must be balanced according to the normalization procedure. Assume that a_{ij} is the parameter values that are normalized. Each alternative (option) A_i is expressed as a point

$$A_i (a_{i1}, \dots, a_{in}) \in R^n$$

Choosing the optimal value $a^*_{j} \in \{a_{1j}, \dots, a_{mj}\}$ for each parameter of X_j , we will define the positive optimal solution $A^+ = (a^+_1, \dots, a^+_n)$. On the other hand, the negative ideal solution will be $A^- = (a^-_1, \dots, a^-_n)$, the positive and negative optimal solution is also denoted by A^+, A^- .

$$D_i^* = \frac{d(A_i, A^-)}{d(A_i, A^+) + d(A_i, A^-)} \frac{1}{\frac{d(A_i, A^+)}{d(A_i, A^-) + 1}} \dots (1)$$

Option A^+ is the optimal solution if:

$$D^*_{A^+} = \text{Max}\{D^*_1, \dots, D^*_m\}$$

Option A^- is the bad solution if it is

$$D^*_{A^-} = \text{Min}\{D^*_1, \dots, D^*_m\}$$

And other options between these two terminal values. And the Great distance

$$D^* = \text{Max}_{i=1,2,\dots,m} D^*_i$$

It is usually called TOPSIS. (J. Xu, 2012)

6- Geometric representation of the TOPSIS method:

Figure (1) shows the initial arrangement of alternatives in the TOPSIS method for $n = 2$, the parameter $X_1 = X^*_1$ has a monotonic increasing preference, the positive and negative optimal solutions A^- and A^+ are located in the diagonally opposite sites, the best solution is the alternative A_7 close to Positive Optimal Solutions (KA Yoon, 1987: pp. 277-286)

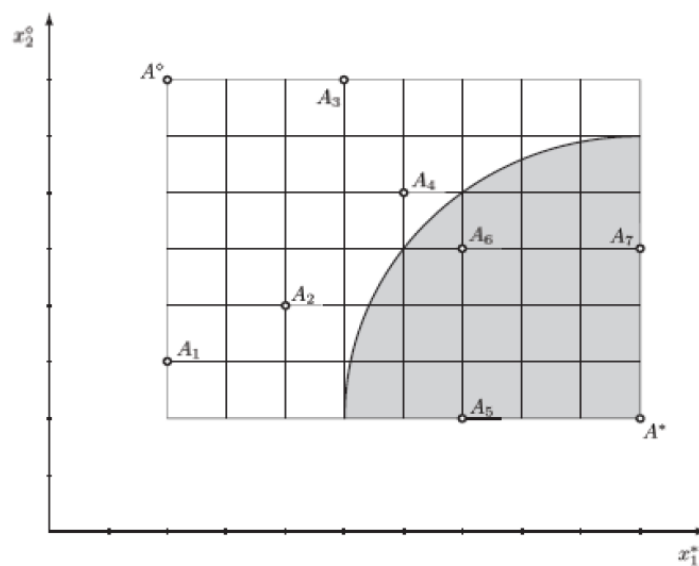


Figure (1) Geometric representation of the TOPSIS method

These types of methods allow compromise between different criteria, as a bad result in one criterion can be compensated for by a good result in another criterion. An assumption of TOPSIS is that each criterion has either an increased or a decreasing preference. Because standards can be modeled, compensatory methods are used, including certainly TOPSIS, which are widely used in various multi-criteria decision-making sectors. (I. B. Huang, 2011: PP.3578-3594)

7- Procedures for calculating the TOPSIS method:

We will test m of substitutes A_1, \dots, A_m of each alternative A_i , relative to n of the criteria x_1, x_2, \dots, x_n , which is expressed in positive numbers x_{ij} . The criterion x_1, \dots, x_k is useful (monotonic increasing preference) and the criterion x_{k+1}, \dots, x_n is not useful (monotonic decreasing preference) and weights w_j for criterion x_j are given such that $\sum_{j=1}^n w_j = 1$. It is necessary to choose the best alternative. Initial table and decision matrix: For better insight, the alternatives, criteria, and weights specified in Table (1) are the initial distribution of the TOPSIS method. (G. R. Jahanshahloo, 2006: pp. 1544-1551)

Table (1) distribution of standards and weights for TOPSIS

CRIT	x_1	x_2	...	x_n
ERIA	cr. 1	cr. 2	...	cr. n
weights	w_1	w_2	...	w_n
A_1	x_{11}	x_{12}	...	x_{1n}
A_2	x_{21}	x_{22}	...	x_{2n}
\vdots	\vdots	\vdots	\ddots	\vdots
A_m	x_{m1}	x_{m2}	...	x_{mn}

The given numbers x_{ij} are represented by the following matrix:

$$X = \begin{bmatrix} x_{11} & x_{12} & \dots & x_{1n} \\ x_{21} & x_{22} & \dots & x_{2n} \\ \vdots & \vdots & \ddots & \vdots \\ x_{m1} & x_{m2} & \dots & x_{mn} \end{bmatrix} \dots (2)$$

It should be balanced, as long as the numbers x_{ij} represent values of different parameters in different units of measure. First, we must also take into account the weights w_j of the standard x_j , and first the scale numbers x_{ij} for the x_j standard are replaced by the normal or relative numbers. (K. A. Yoon, 1987: pp. 277-286)

$$r_{ij} = \frac{x_{ij}}{\sqrt{\sum_{i=1}^m x_{ij}^2}}, \text{ for } i \in I = \{1, 2, \dots, m\} \text{ and } j \in J = \{1, 2, \dots, n\}$$

Which belongs to the open period (0,1), and according to the participation $w_j x_j$ of the x_j criterion, the r_{ij} is replaced by the weighted standard numbers

$$a_{ij} = w_j r_{ij} = w_j \frac{x_{ij}}{\sqrt{\sum_{i=1}^m x_{ij}^2}} \dots (3)$$

It belongs to duration (0,1), and the additional data processing uses a standard weighted decision matrix

$$A = \begin{bmatrix} a_{11} & a_{12} & \dots & a_{1n} \\ a_{21} & a_{22} & \dots & a_{2n} \\ \vdots & \vdots & \ddots & \vdots \\ a_{m1} & a_{m2} & \dots & a_{mn} \end{bmatrix} \dots (4)$$

If all weights are exactly equal, and in the case of $w_j = 1 / n$, then the numbers r_{ij} can be applied to the matrix A as well as the numbers a_{ij} .

Table (2) illustrates the extraction of the standard weighted decision matrix A and all the data that we will calculate and we will try to write them in one table. I. B. Huang, 2011: PP.3578-3594)

Table (2) working table for the TOPSIS method

CRIT ERIA	x_1^* cr. 1	x_2^* cr. 2	...	x_k^* cr. k	x_{k+1}^* cr. k+1	...	x_n^* cr. n	d^* dips	d° dins	D^* topm
A_1	a_{11}	a_{12}	...	a_{1k}	a_{1k+1}	...	a_{1n}	d_1^*	d_1°	D_1^*
A_2	a_{21}	a_{22}	...	a_{2k}	a_{2k+1}	...	a_{2n}	d_2^*	d_2°	D_2^*
\vdots	\vdots	\vdots	\ddots	\vdots	\vdots	\ddots	\vdots	\vdots	\vdots	\vdots
A_m	a_{m1}	a_{m2}	...	a_{mk}	a_{mk+1}	...	a_{mn}	d_m^*	d_m°	D_m^*
A^*	a_1^*	a_2^*	...	a_k^*	a_{k+1}^*	...	a_n^*	A^*	A°	$d^* \sim d^\circ$
A°	a_1°	a_2°	...	a_k°	a_{k+1}°	...	a_n°			

The coordinates a_j^* of the optimized positive solution $A^* = (a_1^*, \dots, a_n^*)$ will be chosen according to the following formula:

Calculate the normal weighted value a_{ij}

$$a_{ij} = w_j r_{ij}, \forall i \in I, \forall j \in J.$$

Where w_j is the weight value of the j^{th} criterion, and $\sum_{j=1}^n w_j = 1$.

Determine the ideal positive A + solution and the ideal negative A- solution.

$$A^+ = \{(a_1^+, a_2^+, \dots, a_n^+)\} = \{(\max_i a_{ij} | j \in S_B), (\min_i a_{ij} | j \in S_C)\}$$

$$A^- = \{(a_1^-, a_2^-, \dots, a_n^-)\} = \{(\min_i a_{ij} | j \in S_B), (\max_i a_{ij} | j \in S_C)\}$$

The numbers d^+ for column $d^+ = (d_1^+, \dots, d_m^+)^T$ is the distance from points A_i to point A^* , which is calculated according to the following formula:

$$d_i^+ = d(A_i, A^*) = \sqrt{\sum_{j=1}^n (a_{ij} - a_j^+)^2}, \forall i \in I \dots (5)$$

The numbers d_i^- for column $d^- = (d_1^-, \dots, d_m^-)^T$ is the distance from points A_i to point A^- which is calculated according to the following formula:

$$d_i^- = d(A_i, A^-) = \sqrt{\sum_{j=1}^n (a_{ij} - a_j^-)^2}, \forall i \in I \dots (6)$$

The numbers D^*_i for column $D^* = (D^*_1, \dots, D^*_M)^T$ is the distance from points A to points A^+ and A^- , which is expressed in the following form:

$$D^*_i = \frac{d_i^-}{d_i^+ + d_i^-} = \frac{d(A_i, A^-)}{d(A_i, A^+) + d(A_i, A^-)} \dots (7) \text{ for } i \in I.$$

If it was:

$$D^*_{i1} = \text{Max}\{D^*_1, \dots, D^*_m\}$$

We accept the A_{i1} alternative as the best solution, if it is

$$= \min\{D^*_1, \dots, D^*_M\} D^*_{i2}$$

We accept A_{i2} as a bad solution. To classify the alternatives using this indicator, we can choose the best alternative with the maximum relative convergence value. (Parkhan, 2018)

8- Data Description

The research data included the information available in the records of the General Directorate of Education in the Holy Karbala as well as the Holy Karbala Governorate Office / Department of Geographical Parameter Systems to obtain aerial maps and the Karbala center for studies and research / specialized studies division The study area and the criteria used were obtained as follows:

A_1 : Population by age group

A_2 : The number of students in the school

A_3 : The number of people in the school

A_4 : distance school from the street

A_5 : The number of teachers in the school

C: The proposed educational schools in Karbala Governorate $N = 1, 2, \dots, 489$

Five criteria were defined and the opinion of experts with specialization in geographic information systems, statistics and education was taken through the expert evaluation form number (118), as well as real data for the population and the number of students.

9- Study area

The appropriate sites will be determined according to the population density in the holy Karbala region, as the study includes the ancient kasbah of the holy city of Karbala, and the main point between the two holy mosques has been determined and Buffer work for the study area 10km

10-The results:

10-1 Decision Matrix

Preparing the matrix of even comparison based on the weights resulting from the main vectors of the decision matrix. The main diameter of the decision matrix is units.

Table (3) matrix of paired comparison of criteria

A5	A4	A3	A2	A1	Criteria
4	2	3	1	1	A1
4	3	2	1	1	A2
3	2	1	0.5	0.33	A3
2	1	0.5	0.33	0.5	A4
1	0.5	0.33	0.25	0.25	A5
14	8.5	6.83	3.08	3.08	Column totals

Table (3) matrix comparison of paired comparison of criteria was prepared by the opinions of experts specialized in this field to determine the importance between each criterion using table (2) measures of relative importance between the standards, and then building a matrix of marital comparison of standards.

10-2 Priorities for Criteria

Depending on the decision matrix, it was found that the probability weights resulting from the criteria based on the pairwise comparisons are as follows:

Table (4) the (relative) priorities of the probability weights resulting from the criteria

(-)	(+)	Rank	priority	Criteria	Category
10.60%	10.60%	1	32.60%=33	A1	Population by age groups
3.30%	3.30%	2	31.60%=31	A2	The number of students in the school
4.80%	4.80%	3	17.20%=17	A3	The number of people in the school
2.90%	2.90%	4	11.90%=12	A4	After school from the street

1.10%	1.10%	5	6.70%=7	A5	The number of teachers in the school
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From Table (4), the criteria were determined according to the importance and ranking of each criterion, and the number of population by age groups was the most influential to determine the most overcrowded schools, and the result of its probability weight was (32.60), and after that the number of students in the school was the second best criterion by (30.60) .

10-3 Estimating consistency ratio

Compute the consistency index (CI).

$$CI = \frac{\lambda_{\max} - n}{n - 1}$$

Since n is the number of items being compared

Compute the consistency ratio (CR)

$$CR = \frac{CI}{RI}$$

Since RI is a random index, it is the consistency index of a randomly generated pairwise comparison matrix. It can be shown that RI depends on the number of items being compared.

Multiply each value in the first column of the pairwise comparison matrix according to the relative priority of the first element searched. And the same procedures for other items. Sum the values across the rows to get a vector of values named “weighted sum”

Calculate the calculated values (λ_{\max})

$$\lambda_{\max} = 5.109$$

$$CI = \frac{\lambda_{\max} - n}{n - 1} = \frac{5.109 - 5}{5 - 1} = 0.02725$$

$$CR = \frac{CI}{RI} = \frac{0.02725}{1.11} = 0.024 \leq 0.02725 = \%2.4$$

Note that the degree of consistency resulting from the pairwise comparison matrix is acceptable.

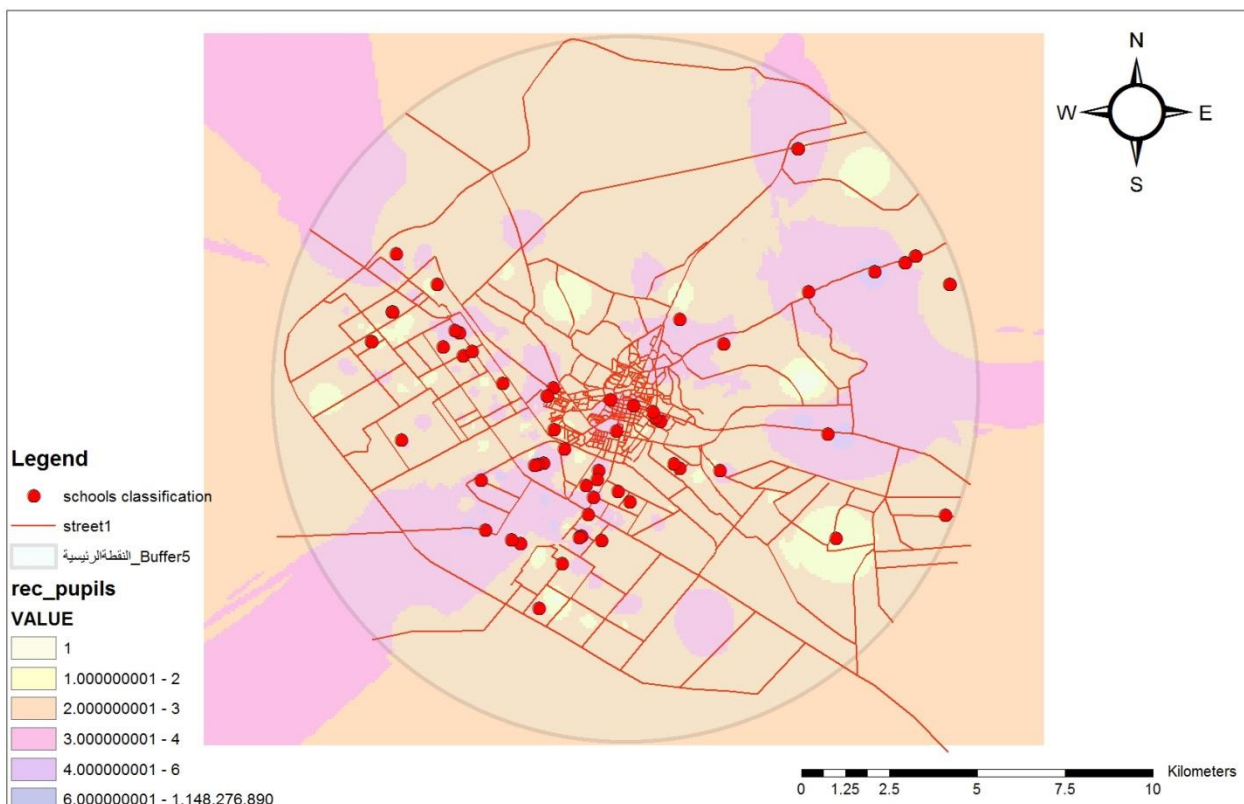
10-4 Results of the classic method (TOPSIS)

The classification of schools is based on criteria. The higher the value of the indicator, the better the alternative is evaluated as:

$$D_i^* \leq 1 \geq 0$$

TOPSIS is widely applied to a wide variety of decision-making problems. This method is based on the concept that the definition of the best alternative is one that must, simultaneously, be closer to (have the shortest Euclidean distance from) the positive ideal solution (PIS). And further from the ideal passive solution (NIS). The final ranking is obtained by the convergence index and the centers are classified according to the proximity coefficient into four sections: -

The schools were the most important for elementary schools and this is due to the great momentum of the pupils as shown in Map (1) below:



Map (1) class map and classification of schools of primary importance for the TOPSIS method (researcher's work)

As shown in Table (5) below that these values are arranged according to the significance of the impact of each criterion and that the interpretive ability of these criteria resulted in the approach coefficients for centers of utmost importance. Schools and finally secondary schools 3 schools with the most influence, according to the interpretive ability of each criterion

Table (5) class and classification of schools of greatest importance for TOPSIS method

Middle school is most important for unlocking the momentum with TOPSIS														
Ne are st fac tor	Neg ativ e opti mal solu tion	Pos itiv e opti mal solu tion	Construct normalized decision matrix					Axes		Subdist rec	School _Deg	Scho ol_Na m	Cri teri a	ت
			A5	A4	A3	A2	A1	Y	x					
0.7 6	2.2 72	27. 628 2	0.1 7	0.0 252 4	0.0 229 2	0.0 061	0.02 235	32.5 778 61	44.0 283 89	Karbala Center	prima ry	Imam Reza	C9	1
0.7 44	2.2 23	27. 642 1	0.1 13	0.0 876 2	0.0 843 2	0.0 083	0.12 506	32.6 056 94	44.0 321 94	Karbala Center	prima ry	Umm Salam ah	C2 6	2
0.7 83	2.3 508	27. 655 3	0.1 7	0.1 198 3	0.1 207 8	0.0 101	0.05 025	32.6 083 06	44.0 434 17	Karbala Center	prima ry	Sana' a	C3 8	3
0.7 12	2.1 198	27. 643 8	0.1 7	0.0 876 2	0.0 843 2	0.0 066	0.12 506	32.5 955 83	44.0 277 5	Karbala Center	prima ry	Mrs. Nafis a	C4 3	4
0.7 33	2.1 874	27. 635 3	0.2 83	0.1 198 3	0.1 207 8	0.0 02	0.05 025	32.6 168 89	44.0 161 11	Karbala Center	prima ry	Usefu l	C4 9	5
0.9 48	2.8 939	27. 639 3	0.1 98	0.1 198 3	0.1 207 8	0.0 036	0.05 025	32.6 147 78	44.0 145	Karbala Center	prima ry	Alger ia	C5 0	6
0.8 32	2.5 09	27. 635 3	0.2 27	0.0 816 9	0.0 764 4	0.0 043	0.02 806	32.6 136 94	44.0 308 06	Karbala Center	prima ry	The tribe	C5 3	7
1	3.0 692	27. 626 9	0.2 55	0.0 816 9	0.0 764 4	0.0 035	0.02 806	32.5 788 33	44.0 233 89	Karbala Center	prima ry	the challe nge	C6 0	8
0.9 27	2.8 245	27. 637	0.1 7	0.0 816 9	0.0 764 4	0.0 046	0.02 806	32.5 902 78	44.0 325 83	Karbala Center	prima ry	The Imma culate Ardas	C6 9	9
0.9 97	3.0 585	27. 619 4	0.2 55	0.0 816 9	0.0 764 4	0.0 047	0.02 806	32.5 788 33	44.0 233 89	Karbala Center	prima ry	Banu Hashe	C7 1	10

												m		
0.749	2.2379	27.6385	0.142	0.08169	0.07644	0.0108	0.02806	32.587722	44.035611	Karbala Center	primary	Jaffa	C77	11
0.732	2.1819	27.6342	0.142	0.08169	0.07644	0.0046	0.02806	32.630806	43.992	Karbala Center	primary	Mrs. Hajar	C78	12
0.828	2.4914	27.6093	0.17	0.0818	0.02092	0.009	0.17825	32.627333	43.987917	Karbala Center	primary	Andalus	C86	13
0.703	2.0882	27.627	0.085	0.0818	0.02092	0.0078	0.17825	32.577	44.007778	Karbala Center	primary	Innocence	C94	14
0.74	2.206	27.6055	0.057	0.06192	0.06649	0.0319	0.46204	32.5975	44.013611	Karbala Center	primary	Sharif Al-Radhi	C111	15
0.713	2.1225	27.6435	0.198	0.08762	0.08432	0.007	0.12506	32.614778	44.0145	Karbala Center	primary	Zuhair bin Al-Qain	C119	16
0.939	2.8596	27.6098	0.255	0.08762	0.08432	0.0035	0.12506	32.601111	44.018889	Karbala Center	primary	Al-Husse in land	C120	17
0.857	2.5898	27.6352	0.142	0.02998	0.05344	0.0053	0.10742	32.580444	43.998778	Karbala Center	primary	Mujahideen	C121	18
0.802	2.4096	27.6365	0.113	0.11983	0.12078	0.0062	0.05025	32.609167	44.042167	Karbala Center	primary	Arwa	C123	19
0.731	2.1813	27.6398	0.085	0.02524	0.02292	0.0048	0.02235	32.641306	44.081278	Karbala Center	primary	The farmer	C127	20
0.902	2.7349	27.599	0.057	0.08762	0.08432	0.0078	0.12506	32.628	44.059583	Karbala Center	primary	Al-Razi	C130	21
0.871	2.6357	27.6148	0.085	0.11983	0.12078	0.0063	0.05025	32.677917	44.078778	Karbala Center	primary	Generations	C137	22
0.811	2.4416	27.6493	0.057	0.08762	0.08432	0.0087	0.12506	32.64875	44.106056	Karbala Center	primary	Tuff	C140	23
0.732	2.1843	27.668	0.085	0.1198	0.1207	0.0036	0.05025	32.6432	44.1174	Karbala	prima	Toler	C143	24

		5		3	8			78	44	Center	ry	ance		
0.794	2.3847	27.64	0.113	0.11983	0.12078	0.0112	0.05025	32.64875	44.106056	Karbala Center	primary	Umm al-Qura	C157	25
0.76	2.2745	27.6356	0.085	0.00637	0.00757	0.0113	0.0179	32.643278	44.117444	Al-Husseinia	primary	The tender	C162	26
0.839	2.5317	27.6305	0.085	0.11983	0.12078	0.0048	0.05025	32.646444	44.098222	Al-Husseinia	primary	Imam Hassan (PBUH)	C164	27
0.788	2.3636	27.6157	0.085	0.00022	0.00021	0.0003	0.00129	32.636167	43.975	A-Hur	primary	Jafar Tayyar	C218	28
0.756	2.2608	27.6459	0.085	0.00735	0.01265	0.0032	0.00182	32.595667	44.05875	A-Hur	primary	Camille bin Ziyad	C226	29
0.82	2.4388	27.63197	0.085	0.00724	0.00912	0.0035	0.05355	32.605083	44.086222	A-Hur	primary	The most trustworthy handhold	C492	30
0.802	2.3886	27.63797	0.113	0.00724	0.00912	0.0045	0.05355	32.578333	44.088472	Al-Jadwal AlGhry	primary	Two kisses	C505	31
0.76	2.272	27.6282	0.113	0.00724	0.00912	0.0085	0.05355	32.571889	44.018417	Karbala Center	primary	Tutors	C521	32
0.712	2.1198	27.6438	0	0.00818	0.02092	0.0042	0.17825	32.560389	44.012417	Karbala Center	primary	Anbar	C570	33
0.948	2.8939	27.6393	0.028	0.00818	0.02092	0.0018	0.17825	32.603417	43.977194	A-Hur	primary	Jellyfish	C579	34
1	3.0692	27.6269	0.028	0.00818	0.02092	0.0208	0.17825	32.606111	44.016333	Karbala Center	primary	Literature	C598	35
0.997	3.0585	27.6194	0.085	0.08169	0.07644	0.0092	0.02806	32.628667	43.969583	A-Hur	primary	Deliverance	C610	36

												e		
0.732	2.1819	27.6342	0.113	0.08169	0.07644	0.0168	0.02806	32.628667	43.969583	A-Hur	primary	The nail	C623	37
0.802	2.4096	27.6365	0.085	0.08169	0.07644	0.0226	0.02806	32.636167	43.97575	A-Hur	primary	Qatif	C694	38
0.811	2.4416	27.6493	0.085	0.06192	0.06649	0.002	0.03616	32.636306	43.974889	A-Hur	primary	Hopefully	C703	39
0.794	2.3847	27.6464	0.085	0.02524	0.02292	0.0023	0.02235	32.593139	43.997556	Karbala Center	primary	Mayar	C711	40
0.76	2.2745	27.6356	0.085	0.08762	0.08432	0.0118	0.12506	32.584306	44.116389	A-Hur	primary	Praise	C712	41
0.788	2.3636	27.6157	0.085	0.08762	0.08432	0.0016	0.12506	32.597361	44.046861	Karbala Center	primary	alraed	C737	42
The most important intermediate schools to break the crowded by use use of TOPSIS														
0.774	2.3152	27.6028	0.085	0.00735	0.01265	0.0065	0.00182	32.63425	44.048417	Karbala Center	intermediate	Jerusalem	C362	43
0.733	2.185	27.6083	0.113	0.00735	0.01265	0.0058	0.00182	32.597139	44.012111	Karbala Center	intermediate	Maysaloon	C365	44
8.964	27.5702	3.1871	0.085	0.06192	0.06649	0.009	0.03616	32.591861	44.0245	Karbala Center	intermediate	The banner of Islam	C375	45
5.549	15.4735	12.4101	0.113	0.06192	0.06649	0.0033	0.03616	32.593472	44.027222	Karbala Center	intermediate	Primary names / 2	C380	46
0.753	2.2336	27.4282	0.057	0.08762	0.08432	0.0232	0.12506	32.597083	44.01125	Karbala Center	intermediate	The martyr Abu Al-Maali main / 2	C381	47
0.777	2.3275	27.6162	0.085	0.00637	0.00757	0.0184	0.00578	32.626167	43.995306	Karbala Center	intermediate	In front of the	C383	48

												pious		
0.832	2.509	27.6353	0.113	0.08169	0.07644	0.0247	0.02806	32.577944	44.005333	Karbala Center	intermediate	chandelier	C589	49
0.828	2.4914	27.6093	0.085	0.00735	0.01265	0.0075	0.06498	32.596167	44.0485	Karbala Center	intermediate	Sharif Al-Murta da	C638	50
0.74	2.206	27.6055	0.085	0.00724	0.00912	0.0322	0.05355	32.643306	43.986333	A-Hur	intermediate	Fruiting	C674	51
0.713	2.1225	27.6435	0.113	0.11983	0.12078	0.0112	0.05025	32.677917	44.078778	Al-Husseinia	intermediate	Forbidden	C687	52
0.902	2.7349	27.5993	0.0283	0.08762	0.08432	0.00761	0.125058	32.650444	44.108861	Al-Husseinia	intermediate	The jewel	C700	53
The most important secondary schools to break the crowdedby use of TOPSIS														
0.986	3.0234	27.636	0.085	0.11983	0.12078	0.0063	0.05025	32.612194	44.036556	Karbala Center	secondary	Manar	C364	54
0.874	2.6433	27.6073	0.057	0.08762	0.08432	0.0087	0.12506	32.617917	44.003222	Karbala Center	secondary	Fatima, the daughter of Asad	C370	55
0.811	2.4351	27.6085	0.085	0.11983	0.12078	0.0036	0.05025	32.624972	43.993083	Karbala Center	secondary	Silks	C373	56
The most important high secondary schools to break the crowdedby use of TOPSIS														
0.867	2.6218	27.6182	0.056	0.11983	0.12078	0.00552	0.050249	32.631572	43.990972	Karbala Center	Secondaryhigh	Osama bin Zaid	C339	57
0.825	2.4872	27.6506	0.056	0.02524	0.02292	0.01427	0.022353	32.588861	44.026417	Karbala Center	High secondary	Success	C340	58
0.783	2.351	27.6578	0.056	0.02524	0.02292	0.00559	0.022353	32.610778	44.041556	Karbala Center	High secondary	Kindergarten	C415	59
0.702	2.087	27.6636	0.056	0.02524	0.02292	0.00553	0.022353	32.578611	44.022694	Karbala Center	High secondary	Sheikh Ahmed Al-	C419	60

												Waeli		
0.708	2.1053	27.6232	0.0566	0.02524	0.02292	0.00979	0.022353	32.650444	44.108861	Al-Husseinia	High secondary	The martyr Salam Al-Wazni	C423	61
0.783	2.3508	27.6553	0.0283	0.08762	0.08432	0.00787	0.125058	32.651	43.975889	A-Hur	High secondary	Wind y	C562	62
0.777	2.3275	27.6162	0	0.08762	0.08432	0.02586	0.125058	32.584361	44.025083	Karbala Center	High secondary	Flag City	C810	63

Table (3-18) results of (TOPSIS) method

Number of schools that need to establish a school near them	Degree of importance	Class classification	No
42	maximum Importance	Primary	1
11	maximum Importance	Medium	2
3	maximum Importance	high school	3
7	maximum Importance	Junior high	4
63	Total		
329	Less important schools		

11- Conclusions

Through the outputs on the applied side, we reached the following conclusions:

1. Depending on the decision matrix, it was found that the most important criterion with the highest probability weights resulting from the criteria based on

the pairwise comparisons is the population according to age groups and it was 32.60 and then the number of students in the school which amounted to 31.60 which formed the largest effect of choosing the most massive schools.

2. The schools were classified according to the school's degree and the importance of the TOPSIS method, and the following was found:

A- 1th class: Primary schools, with 42 being the most populous of the total number of schools.

B- 2th class, middle schools, which are 11 of the most crowded out of the total number of schools.

C- 3th class secondary schools, which are the most populous 3 of the total number of schools.

D- 4th class, preparatory schools, being 7 the most crowded out of the total number of schools.

3. The study proved that geographic information systems (GIS) technology has great potential in the field of selecting sites for schools in which there is overcrowding, as well as preparing a geographical database, containing natural and human variables affecting the educational reality in addition to the great ability to diagnose defects according to statistical methods. As an indication of the link between neighborhood and standard distance and building educational databases aimed at facilitating the exchange and analysis of information and so on.

12- Recommendations

Based on the results and conclusions that have been reached, we recommend the following:

1. The necessity of using the geographic information systems program in identifying schools and comparing them with the results of the research, and using other statistical methods to analyze criteria. Expansion of the study area to all areas of the province or at the level of Iraq.

2. Update the educational map of the city and work according to the modern systems in force internationally in the field of education, such as the electronic system for students according to a process of spatial distribution appropriate to the needs of the city's residents, in a way that reduces the average distances traveled in order to obtain the service.

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